



Clusters Construction Mechanism for Junction Linear Wireless Sensor Networks (2CMJ)

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Abstract A Linear Wireless Sensor Network (LWSN) is a collection of sensors geographically arranged in a linear topology. These types of networks are applied today in several fields, their applications mainly concern areas based on linear form environments i.e. road or rail infrastructure border, waterway, oil, pipeline surveillance, gas etc.

There are two categories of LWSN topologies: Strictly linear networks with a single line starting from the sink, and linear networks with junctions, in which we have several lines with crossings called junctions.

In order to better organize the network, several techniques for forming the network in clusters have been proposed. These self-construction cluster algorithms organize the network into several groups of nodes called a cluster. The majority of these techniques, studied in the literature, are not adapted to a linear topology. The few exceptions to this rule become ineffective on linear topologies with junction areas.

In this paper, we propose, 2CMJ, a self-training cluster mechanism for wireless sensor networks with junctions. This solution is an extension of the M2CRL mechanism, taking into account the junction zones in the process of forming clusters. A mathematical model based on set theory has also been proposed in order to determine some characteristics relating to nodes, such as their Cartesian position with respect to the Sink.

2CMJ was evaluated on the Castalia / Omnet ++ simulator. The results obtained show a perfect formation of clusters, with zero orphan nodes and zero singleton clusters, with construction time much lower than the reference time.

Keywords Linear Wireless Sensor Networks, Linear Wireless Sensor Networks with Junction, Clustering algorithm, automatic topology construction

Introduction

Wireless Sensors Networks (WSNs) are a collection of sensors arranged in a specific topology, whose purpose is to collect, process, and transmit data for a specific application. WSNs can be deployed in a variety of environmental areas including volcanoes [7], forests, rivers, bridges [12], railways, commercial, military, medical and other applications, and are also widely used in industry, including production lines. These various and varied fields of application mainly define the topology according to which the WSN will be laid out, the network generally takes the form of the environment in which it is deployed. Thus there are several types of topologies for WSNs.

Linear Wireless Sensor Network (LWSNs) are a set of sensors arranged in a shape that can be represented with linear curves. LWSNs are currently used in a variety of applications: monitoring of bridges, road, rail, gas, oil and water pipelines [3-4] etc.

WSNs are subject to several constraints, the most important of which is undoubtedly its very limited energy reserves. Several solutions have been proposed in order to increase the service life of the sensors, and therefore of the entire network. One of the methods used consists of dividing WSN into several groups of sensors called



clusters [10]. Each cluster has a leader called Cluster Head (CH) whose role, among other things, is to collect the data sent by the nodes belonging to the cluster.

WSNs are no exception to the constraints affecting WSNs in general. Therefore, some methods used on other topologies, to overcome these constraints, can also be used in linear topologies.

Several clustered self-construction algorithms for WSNs have been proposed in the literature [6]. The majority of these algorithms concern networks with non-linear topologies. In [1] A Fall et al presents, M2CRL, a self-construction mechanism specific to linear wireless sensors networks. The latter solves the problem of the non-adaptability of old algorithms to linear topologies. However, the major constraint of this solution is that it is not applicable on a linear topology with junction areas.

In this paper we present 2CMJ, an extension of M2RCL [1] taking into account linear topologies with junction areas of varying complexity.

The paper will be organized as follows. In the first part 1, we will talk about the state of the art concerning LWSN. Part 2 will be devoted to the mechanism of cluster construction for networks with strictly linear topology M2CRL. In the third part 3, we present our solution as well as some applications of some properties of the set theory that would be applicable in a wireless sensor network with linear topologies. In the fourth part 4, we will present the results of the simulations performed. Finally, the last part 5 will present the conclusion and some perspectives.

1. State of the art

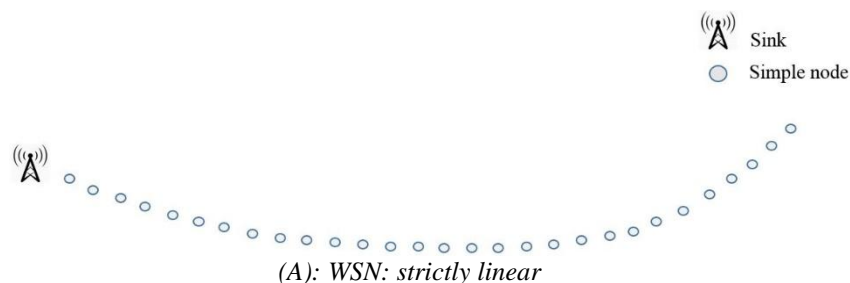
LWSNs are a special case of WSN, in which the sensors are deployed in a linear form. In this section we present a state of the art focusing on the different topologies for linear networks and on clustering techniques for LWSNs.

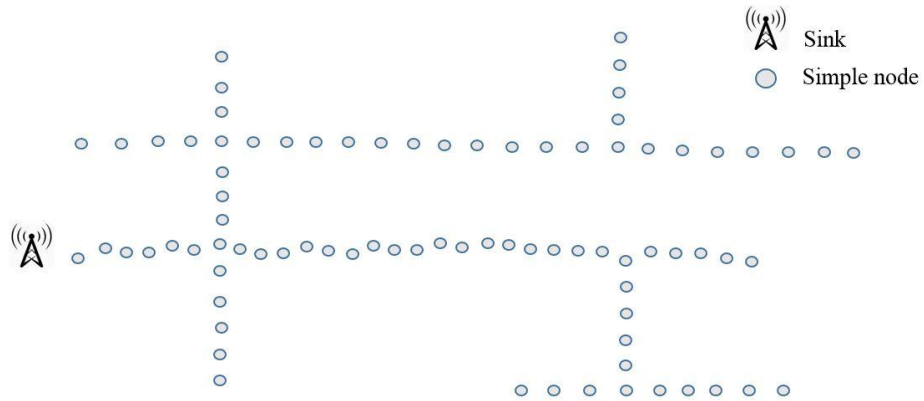
1.1 Topologies in LWSNs

LWSNs are essentially divided into two categories Figure 1: First we have networks with strictly linear topologies. In this type of network we note the existence of a single linear line starting from the sink. We also note a total absence of junction areas. These types of LWSNs can be deployed in environments such as bridges, border areas, certain roads or railways that do not have junction segments. Secondly, we have networks with linear topologies with junction areas. In these types of networks, we note the existence of several linear lines, some of which form crossing points called junctions, these junctions present several levels of complexity. The complexity of a junction is measured by the number of linear lines that emerge from the junction areas Figure 2. Depending on the placement of the sensor nodes and the role played by each sensor, we distinguish different types of topology in the literature

1.1.1 Topologies k-redundant

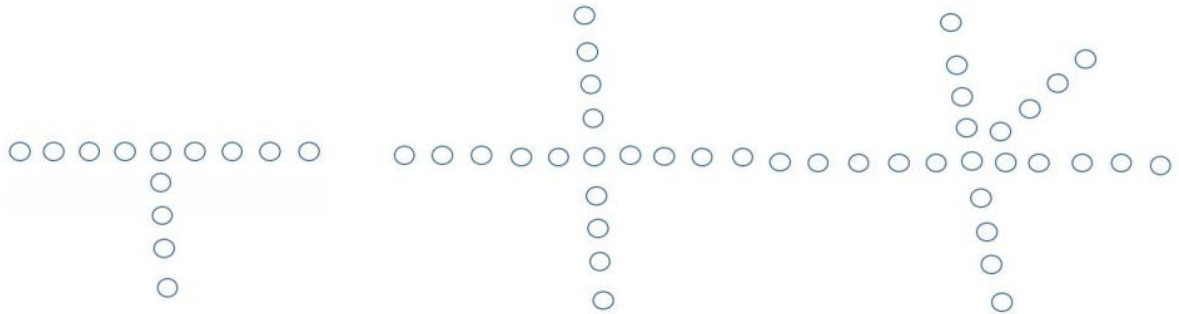
Redundancy, for a sensor, is given by its number of neighbours (within transmission range) in one direction. Therefore, the more neighbours the node has, the greater its redundancy.





(B): WSN: with junction area

Figure 1: Topologies



(A) junction area with two exit

(B) junction area with three exit

(C) junction area with four exit

Figure 2: Junction area with varied complexities

In [8] the authors present a topology based on this redundancy concept. In this architecture a node with k neighbours in the direction of the sink, the same number of neighbours, also in the opposite direction, is referred to as a k -redundant network Figure 3.

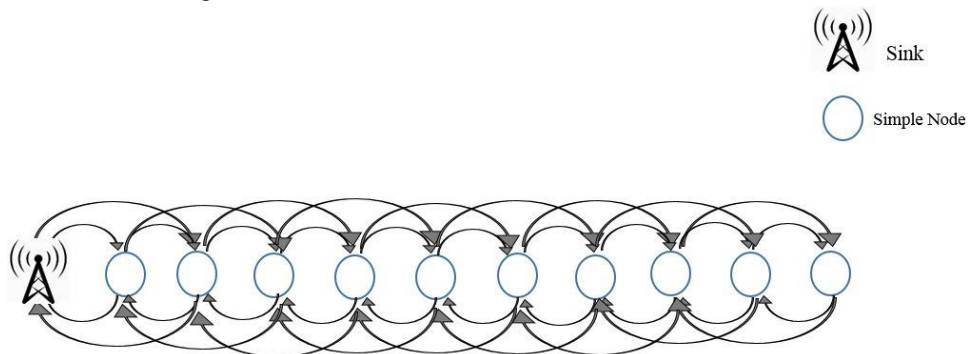


Figure 3: WSN: 2-redundant

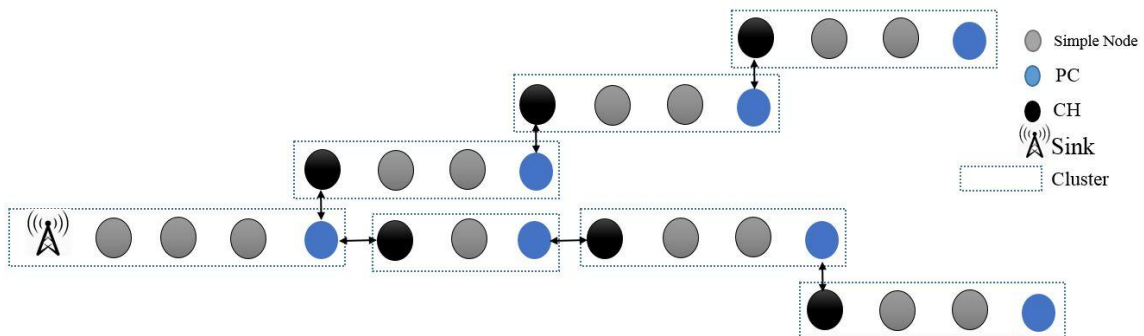


Figure 4: WSN: Long Thin Wireless Sensor Networks

1.1.2 Hierarchical topologies

A hierarchical topology is a topology in which the sensors have different levels of functionality. In [9] a three-level hierarchical topology is proposed, in this type of topology we have three types of nodes: Simple Sensors (NCS) which only collect the data to be transmitted, the (NCS) then transmit the collected data to Relay Nodes (NRD) whose role is to collect the data emitted by the (NCS). Once collected, the (NRDs) aggregate the data received and transmit the aggregated packets to Data Routing Nodes, which will route the data to Sink.

1.2 Clustering in LWSNs

In cluster topologies, nodes are formed into groups called clusters. In each cluster, one node is designated as the Cluster Head (CH). The CH, among other tasks, coordinates intra-cluster actions, can aggregate data issued by child nodes belonging to the same cluster. This technique of logical network organisation makes a significant contribution to saving the residual energy of the sensors and thus increasing the lifetime of the entire network.

A large number of clustering algorithms have been proposed in the literature [10-11]. In [10], the authors have made a detailed and comparative study of most of the clustering algorithms proposed in the literature for both homogeneous and heterogeneous WSNs. In [11], the authors make a classification of the different algorithms studied, their classification is based on criteria such as data aggregation, energy consumption of nodes, CH rotation system, equalization of cluster size, CH centrality etc...

Most of these clustering algorithms are based on non-linear topologies. This parameter is not to be neglected insofar as the unsuitability of these algorithms for linear topologies makes them inapplicable to the latter. It was therefore necessary to think about clustering mechanisms specific to linear networks. These algorithms will have to take into account the fundamental aspect of LWSNs, i.e. linearity.

In [2] the authors propose a three-tier architecture based on two types of topologies: a non-linear topology and a linear topology. On the non-linear part, the LEACH [14] algorithm is used to create clusters. The Head clusters transmit their packets to the nodes located in the linear part, which in turn forward the packets to the base station.

In [13] the authors propose an addressing and routing mechanism based on a linear topology in a cluster tree. In the topology they propose, clusters are composed of simple nodes (SN), a cluster head (CH) and a cluster bridge (PC) figure 4. Within a cluster, the cluster bridge receives the data entering the cluster and is the furthest node from the sink among the cluster nodes. The Cluster Head is the closest node to the sink among the cluster nodes. All cluster formation is done manually by the network administrator. The CH, PC and SN are chosen manually by the administrator. This last property constitutes the whole problem of this mechanism, therefore the use of a cluster self-training algorithm would make such a mechanism much more autonomous.

In [1], the authors propose M2CRL, a cluster construction mechanism for strictly linear wireless sensor networks.

2 Clusters Construction Mechanism for Strictly Linear Wireless Sensor Networks (M2CRL)

The M2CRL algorithm assumes a 2-redundant topology on a homogeneous sensor network where all nodes have the same capabilities and functionalities. The algorithm is based on a strictly linear topology. The comparison of M2CRL with clustering algorithms has highlighted the unsuitability of the latter on linear topologies.

The M2CRL algorithm takes place in two phases: a first phase called Discovery phase and a second phase called Cluster construction phase.

The aim of the discovery phase is to enable the sink to discover its neighbours and to classify them in order of proximity. In this phase, the sink broadcasts an announcement message (Hello) in order to start the discovery process. After receiving the Hello packet, the Neighbours broadcast, in turn, Hello reply messages which will be acknowledged upon receipt, allowing each node to know, exactly, the number of neighbouring nodes v it has.

After this hello exchange process, the nodes neighbouring the sink send an answer to the sink with the value v . The sink then uses the different v values received to determine the proximity of its neighbours. After this phase, the sink transmits a construction packet to its nearest neighbour, this transmission will initiate the cluster construction phase.



In the cluster construction phase, the formation of clusters takes place in a progressive and linear manner. Each node chooses the cluster to which it belongs by means of three quantities:

- A noted constant P_i which defines the maximum number of nodes per cluster, P_i is chosen randomly by the sink;
- Quantity C_{id} that identifies a cluster;
- A value P_n that determines the position of the node in the cluster to which it belongs.

The construction is carried out by a process of exchanging a packet called a construction packet containing the three quantities P_i , P_n and C_{id} . These construction packets are acknowledged after receipt.

Initially the sink chooses, randomly, the value of P_i in the interval $[3, N/2]$ N being the cardinality of the network and 3 the degree of redundancy K to which we add 1, in the case of a 2- redundant LWSN we obtain 3. The sink then sets the parameters C_{id} and P_n to 1 and after defining these parameters, the sink sends to the nearest node a construction packet with the values of the three quantities. As soon as it receives the acknowledgement from this node, the sink sends a new construction packet to the second nearest node with the values P_i , C_{id} and P_{n+1} . After having received the construction packets emitted by the sink, the Sink's neighbours set their P_i , P_n and C_{id} to the values contained in the construction packets received from the sink and broadcast, in their turn, a construction packet with the values of P_i , C_{id} and by incrementing P_n by more than 1. The rule is that, after having chosen its cluster, each node broadcasts a construction packet to its neighbours with the values P_i , C_{id} and $P_n + 1$. The choice of the belonging cluster, for a given node, is based on the three principles below:

1. Principle N°1: the P_n position of the node is equal to the maximum of the P_n contained in the received construction packets, $P_n = \max(P_{n_received})$ and the Node C_{id} is equal to the C_{id} received $C_{id} = C_{id_received}$. This first principle is executed by the node if and only if all received P_n are different from P_i .
2. Principle N°2: This process is executed if one of the received P_n is equal to P_i . This principle says that if the node receives a P_n equal to P_i , then the node compares the C_{id} s contained in the packets, in doing so, two cases are possible.
 - a. First case: The packets contain the same C_{id} , in this case the node self-elects itself as Cluster Head (CH), sets its P_n to 1 and diffuses a construction packet to its neighbours with the values P_i , C_{id} and P_{n+1}
 - b. Second case: the received packets do not contain the same C_{id} , in this case, the node, in question, is the first neighbour of the Cluster Head, it sets its P_n to 2, keeps the max of the received C_{id} s, $C_{id} = \max(C_{id_received})$ and diffuses a construction packet to its neighbours with the values P_i , C_{id} and P_{n+1} .
3. Principle N°3: The aim here is to avoid singleton clusters. After broadcasting a construction packet, the node triggers a timer which stops when the acknowledgement of the transmitted packet is received. However, if the timer runs out (acknowledgement not received) the node self-elects itself as Cluster Tail (CT). On the other hand, if a node happens to be both CH and CT, then it is a Singleton Cluster, therefore the node positions itself to the parent cluster by decrementing its C_{id} and setting its P_n to $P_i + 1$.

The authors also give the position P_s of a node with respect to the sink using **equation (1)**

$$P_s = P_i(C_{id} - 1) + P_n \quad (1)$$

The cluster construction algorithms proposed in the literature, for the most part, were not suitable for linear topologies. On the other hand, the M2CRL algorithm constitutes a mechanism allowing a self construction in clusters specific to linear networks. However, it remains ineffective in the face of linear networks having junction areas.

3 Clusters Construction Mechanism for Junction linear wireless sensor networks (2CMJ)

In this article, we propose 2CMJ, a cluster construction mechanism for wireless sensor networks with linear topology and



junction areas. The only self-construction mechanism for clusters, found in the literature (to our knowledge) M2CRL [1], becomes ineffective against a linear topology with junctions. Our mechanism is an extension of M2CRL in the face of the constraint caused by junction areas. The algorithm assumes a homogeneous 2-redundant topology. In a junction areas, too, all nodes are neighbours (within transmission range).

The same construction variables used in the M2CRL protocol version are maintained in the 2CMJ version. A new variable Cp (Cluster position) indicating the position of the cluster in relation to the sink has been introduced in this new version.

I. Algorithm:

2CMJ consists of two phases: a first phase called the node definition and neighbourhood discovery phase and a second phase called the cluster formation phase.

- A. In the first phase (**Algorithm 1**), each node determines in which areas it is located and consequently to deduce its nature (simple node or junction node). Indeed, in an LWSN with junctions, there are mainly two areas: the strictly linear area in which the nodes have, at most, $2 \cdot k$ neighbours, k being the degree of redundancy (in our case four neighbours). There are also junction areas in which the nodes within them have at least $2 \cdot k$ neighbours. Therefore, we define two types of nodes: simple nodes (SN), i.e. those belonging to strictly linear areas, and junction node (JN), i.e. nodes located in junction areas. Initially each node broadcasts a Hello message:

- a. If a node receives a maximum of four Hello packets from different neighboring nodes, $\text{Hello_received} \leq 4$, then the node self-elects as a simple node (SN).
- b. If the number of Hello packets received from different neighboring nodes is strictly greater than 4, $\text{Hello_received} > 4$, then the node self-elects as a junction node (JN).

After defining its nature the node communicates it to its neighbours and saves all its neighbours in a list. At the junction areas, we define another type of node, in addition to the junction nodes (JN), these are the gate nodes (GN). The gate node is the node connecting a junction area to a strictly linear area, i.e. a packet leaving a junction area will lastly encounter a gate node. If it is an incoming packet, the first node to receive this packet will be the GN. The number of GNs in a junction zone is proportional to the complexity of the zone. The higher the complexity of the zone, the higher the number of GNs in the zone.

Simple nodes (SN) having a (JN) neighbour communicate the list of their neighbours in broadcast, the JN neighbours receiving such a packet check if, among the transmitting nodes, there are two of them which are one-hop neighbours (close neighbour). If this is the case, then the node self-elects itself as a gate node (GN) (**Algorithm 2**).

Once the (GNs) have been chosen, the second phase can begin.

- B. In the second phase, the clusters are gradually constructed in a linear manner. Two types of clusters can be distinguished here: Simple Clusters (SC) made up solely of simple nodes, and Junction Clusters (JC) made up solely of junction nodes. This phase of cluster construction is based on two stages:
- a. Step 1 reuses the M2CRL algorithm [1] for cluster formation at the level of strictly linear areas (**Algorithm 3**) (**Algorithm 4**)
 - b. At the Junction Cluster (JC) level, exactly as in M2CRL, the node closest to the sink will be elected Cluster Head (CH). The latter also coordinates the cluster creation process within the JC in the manner described below (**Algorithm 5**): Once set, the CH triggers a search for gate nodes by broadcasting a Hello-GN packets. Only the GNs will respond to this packet in unicast to the CH. The CH then registers the different GNs in its cluster. At this stage, the CH knows perfectly well the nature of its neighbours, the GNs and the NGs. At this stage, the CH knows perfectly well the nature of its neighbours (the GNs and the JNs). Following this, the cluster Head sends two types of construction packages to the cluster:



1. A classical construction packet, like those used in M2CRL, transmitted in multicast to neighbouring non-GN nodes. The latter, initialise their P_n to 2, the other variables (C_{id} , C_p) are equal to those contained in the construction packet received from CH.
2. A second construction packet for the different (GN) of the cluster. To each GN, the CH sends a construction packet containing an index i (unique for each GN) which will be used for the calculation of the C_{id} of the next Simple Cluster. The (GNs) set their P_n to 2, the other variables (C_{id} , C_p) are equal to those of the CH. Each GN calculates the C_{id} (x) of the next Single Cluster (SC) connected to it using the equation (Equation 2). The next SC sets its C_{id} to the value (x) contained in the construction packet transmitted by the GN (Algorithm 6). Construction continues in strictly linear areas.

$$x = C_{id} + \left(\frac{P}{P_i}\right)^i \quad \text{with} \quad \begin{cases} C_{id} & \text{CJ identifier} \\ p & \text{LWSN depth} \\ P_i & \text{Simple Cluster (SC) cardinalite defined by the sink} \\ i \geq 1 & \text{index received by the gate node (GN)} \end{cases}$$

II. In order to determine some of the sensor characteristics in the LWSN, we established a mathematical model based on set theory.

Indeed, a linear wireless sensor network can be assimilated to a set of elements arranged in a linear geometry. Consequently, certain mathematical properties that apply to set theory become applicable to LWSN. We have defined a notation system (Table 1) that perfectly reflects the correlation between a network of linear wireless sensors network and a set of finite elements. For any node n belonging to a cluster C_x of the network, its position $P_{n \rightarrow S}$ (distance) from the sink is given by (Equation 3)

$$\forall n \in C_x; P_{n \rightarrow S} = P_n^x + 2 \times (CJ_{C_x}) + \sum_{CS_i \in S_{C_x}} (C_{CS_i})$$

Table 1: Table of Notation

Notation	Meaning
$N = \{ \dots \}$	The set of nodes in the WSN
$C = \{ \dots \}$	The set of clusters in the WSN
P_n^x	The position of node n in cluster x
$F_{C_x} = \{ \dots \}$	the set of Clusters (son of C_x) belonging to the line leading to the SINK
$J_{C_x} = \{ \dots \} \subset F_{C_x}$	The set of junction clusters belonging to F_{C_x}
$S_{C_x} = \{ \dots \} \subset F_{C_x}$	The set of simple clusters belonging to F_{C_x}
	$J_{C_i} \cup S_{C_i} = F_{C_i}$
C_{C_i}	the cardinality of the cluster C_i
C_{CJ_i}	the cardinality of the junction cluster CJ_i
C_{CS_i}	the cardinality of the simple cluster CS_i
CJ_{C_x}	the cardinality of the set J_{C_x}



Algorithm 1: Phase of defining nodes and discovering the neighborhood**Result:** First phase: Here, each determine its nature and that of its neighbors**Data:** neighbor: list_neighbors() int: number_of_neighbors bool: isSN, isJN, isGN

```

1 Initialization: number_of_neighbors = 0, isSN=true, isJN=false, isGN=false
2 struct {
3   | MACAddress source
4   | Boolean type
5 } neighbor
6 begin
7   | if (!isSINK) then
8     | Pcst=Packet(Hello)
9     | Send(Pcst, Broadcast)
10    | start(nature_determination_Timer)
11    | if (Receive_Hello) then
12      | number_of_neighbors++
13  | if (End(nature_determination_Timer)) then
14    | if (number_of_neighbors > 4) then
15      | isJN= true // the node is located in a junction area
16      | isSN= false
17    | Pcst=Packet_Type(isJN)
18    | Send(Pcst, Broadcast) // the packet communicates its type to its neighbors
19
20    | if (receive(Packet_Type)) then
21      | neighbor x
22      | x.source= Packet(source_Address)
23      | x.type= Packet(isJN)
24      | Add(x, list_neighbors)

```

Algorithm 2: gate node definition phase**Result:** at the end of this phase, the gate nodes are defined**Data:** neighbor: List1(), List2() int: a

```

1 Initialization: a = 0
2 struct {
3   | MACAddress source
4   | bool type
5 } neighbor
6 begin
7   | if (isSN) then
8     | for (x ∈ list_neighbors) do
9       | if (x.type==true) then
10      | Pcst=Packet_list_neighbors(list_neighbors)
11      | Send(Pcst, x.source) // the node send its list of neighbor to its NJ neighbors
12  | if (receive(Packet_list_neighbors)) then
13    | if (a==0) then
14      | List1 ←Packet_list_neighbors(list_neighbors)
15    | else if (a==1) then
16      | List2 ←Packet_list_neighbors(list_neighbors)
17      | start(gate_node_Timer)
18    | a++
19  | if end(gate_node_Timer) then
20    | /* After receiving neighbor lists from neighboring SN */
21    | if (a==3) then
22      | IsGN = true
23      | /* the NJs having received only two announcement packets self-elected as gate node
24      | */

```



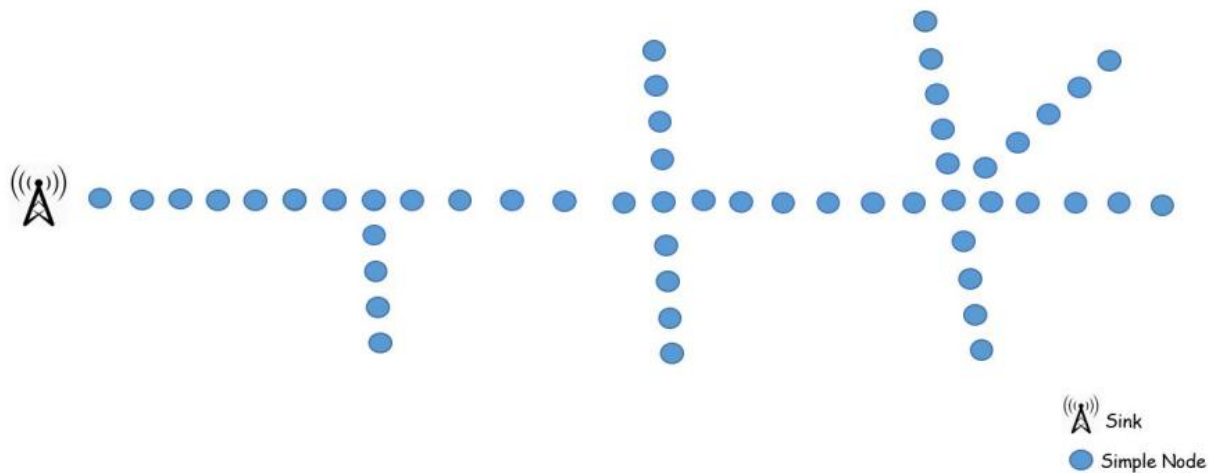


Figure 5: Initial topology before creation of clusters

Algorithm 3: Discovery phase of Sink

Result: First phase: Allow the Sink to discover its neighbors and their degree of proximity

Data: neighbor: Sink_neighbors() int: v

```

1 Initialization: v=0
2 struct {
3   MACAddress source
4   int v
5 } neighbor
6 begin
7   if (isSINK) then
8     Pcst=Packet(Discovery)
9     Send(Pcst, Broadcast)
10    if (Receive_Response_Discovery) then
11      neighbor x
12      x.source= Address_Packet
13      x.v= v_Packet
14      Add(x, Sink_neighbors)
15  else
16    if (Receive_Packet_Discovery) then
17      Pcst=Packet(Hello)
18      Send(Pcst, Broadcast)
19      start(neighborhood_discovery_Timer)
20    if (Receive_Hello) then
21      Pcst=Packet(Ack_hello)
22      Unicast(Pcst, Sender_Packet)
23    while (Receive_Ack_Hello) do
24      v ++
25    if (End_of_neighborhood_discovery_Timer) then
26      Pcst=Packet(Response_Discovery)
27      Unicast(Pcst, SINK)

```



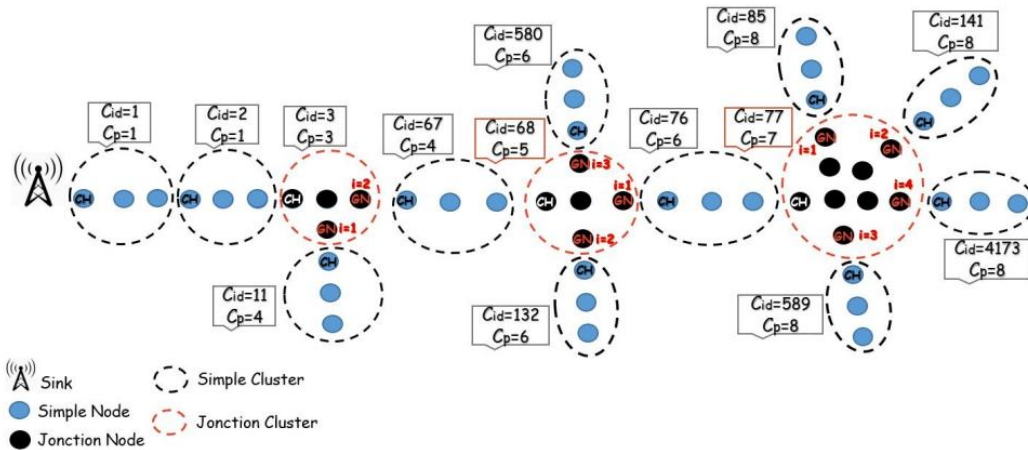


Figure 6: Topology after creation of clusters

Algorithm 4: Cluster construction phase: on strictly linear areas**Result:** this phase describes the creation of clusters in strictly linear areas**Data:** $Int: 3 < \max \leq N/2$ (N is the number of nodes in WNS) ack, P_i, P_n, Cid, C_p **Data:** $Int : neighborsID[2], neighborsCid[2]$

```

1 Initialization: ack=0
2 begin
3   if (isSINK) then
4      $P_i = random(3, \max)$ 
5      $Cid = 1$ 
6      $C_p = 1$ 
7      $P_n = 1$ 
8      $Pcst = Packet(P_i, P_n, Cid, C_p)$ 
9     Send( $Pcst, A$ ) // A is the first closest node to SINK: with the greatest value of v
10
11    if (Receive Ack) then
12       $Pcst = Packet(P_i, 2, Cid, C_p)$ 
13      Send( $Pcst, B$ ) // B is the second closest node to SINK
14
15    else
16      if (Receive_two_Construction_Packet_from_SN) then
17        if (isSN) then
18          EXECUTE M2CRL // The M2CRL algorithm is executed in strictly linear lines
19        else
20          EXECUTE Algorithm 5
21
22      if (Receive_two_Construction_Packet_from_JN) then
23        isCH=true
24         $P_i = P_i(Received\_Packet)$ 
25         $Cid = \max(received\_Cid)$  // i.e. the x calculate by GN
26         $C_p = \max(received\_Cp) + 1$ 
27         $P_n = 1$ 
28         $Pcst = Packet(P_i, P_n, Cid, C_p)$ 
29        Send( $Pcst, Broadcast$ )
30
31      if (Receive Ack) then
32        ack = 1
33        Cancel(Ack_Timer)

```



Table 2:Simulation parameters

Distance between nodes	Number of Nodes	MACProtocol	Radio Mod-ule	Power Tx	Sensibility	Simulation Time
500 meters	[52]	TMAC	CC2420	-5dBm	-95 dBm	500s

Algorithm 5: Cluster construction phase: on junction areas

Result: this phase describes the creation of clusters in junction areas
Data: $\text{Int}: 3 < \max \leq N/2$ (N is the number of nodes in WNS) $\text{ack}, P_i, P_n, C_{id}, C_p$
Data: $\text{Int} : \text{ist_of_GN}()$

```

1 Initialization: ack=0
2 begin
3   if (Receive_two_Construction_Packet_from_two_SN) then
4     /* the node closest to the SINK is elected CH */
5     isCH=true
6      $P_i = P_i(\text{Received\_Packet})$ 
7      $C_{id} = \max(\text{received\_Cid}) + 1$ 
8      $C_p = \max(\text{received\_Cp}) + 1$ 
9      $P_n = 1$ 
10    Pcst=Packet(Hello_GN)
11    Send(Pcst, Broadcast) // To discover the GNs
12    start(response_from_GN_Timer)
13  if (receive_Hello_GN) then
14    if (isGN) then
15      Pcst= Packet(Response_Hello_GN)
16      Send(Pcst, CH) // CH is the sender of the received Hello_GN packet
17    end if
18  while (Response_Hello_GN) do
19    Add(source(Pcst), list_of_GN)
20  if (End(response_from_Timer)) then
21    for (int :  $i = 1, i \leq \text{length}(\text{list\_of\_GN}), i++$ ) do
22      Pcst= Packet_2( $P_i, 2, C_{id}, C_p, i$ )
23      Send(Pcst, list_of_GN( $i$ ))
24      // the packet also contains a unique index  $i$  for each GN
25    for (int :  $i = 1, i \leq \text{length}(\text{list\_neighbors}), i++$ ) do
26      if (list_neighbors( $i$ ).type) then
27        /* the other nodes of the junction cluster receive construction packets with
28          position 2 */
29        Pcst= Packet_1( $P_i, 2, C_{id}, C_p$ )
30        Send(Pcst, list_neighbors( $i$ ).source)
31  if (Receive_Packet_1.(destination)==self) then
32    /* reception of non-GN nodes from CHs */
33     $P_i = P_i(\text{Received\_Packet})$ 
34     $C_{id} = C_{id}(\text{received\_Packet})$ 
35     $C_p = C_p(\text{received\_Packet})$ 
36     $P_n = 2$ 
37    Pcst= Packet( $P_i, P_n, C_{id}, C_p$ )
38    Send(Pcst, Broadcast)

```



Algorithm 6: Cluster construction phase on junction areas: Behavior of a junction Node(JN) following a receipt of a Construction Packet(Pcst) from CH

Result:

Data: Int: x (x constitutes the cid of the next simple cluster neighboring the GN), Pi, Pn, Cid, Cp, ind

```

1 begin
2   if (Receive_Packet_2.(destination)==self) then
3     /* reception of GN nodes from CHs */
4     Pi = Pi(Received_Packet)
5     Cid = Cid(received_Packet)
6     Cp = Cp(received_Packet)
7     Pn = 2
8     ind = i(received_Packet) // i is the index of the node, sent by the CH
9     x = Cid + (P/Pi)^ind // P is the depth of the network
10    Pcst= Packet(Pi,Pn,x,Cp)
11    Send(Pcst, Broadcast)

```

4 Simulations and results

To test and evaluate 2CMJ, simulations were carried out on the Castalia environment, which is a wireless sensor network simulator based on the OMNet++ platform. The simulation parameters used are listed in **table 2**. Some of these parameters were chosen to allow a 2-redundant network.

We executed the 2CMJ algorithm on a topology of 52 nodes (51 sensor nodes and the sink) with three junction zones (Figure5). The topology used is 2-redundant in the strictly linear zones. The junction zones have complexities of 2, 3 and 4 respectively.

The algorithm is executed with Pi equal to 3. Figure 6 shows the network after clusters creation.

The results in figure 7 give the evolution of cluster formation in relation to the number of nodes in the network. The results show a perfect cluster construction with zero orphan nodes. All the nodes of the network succeed in integrating a cluster, hence the total absence of orphan nodes.

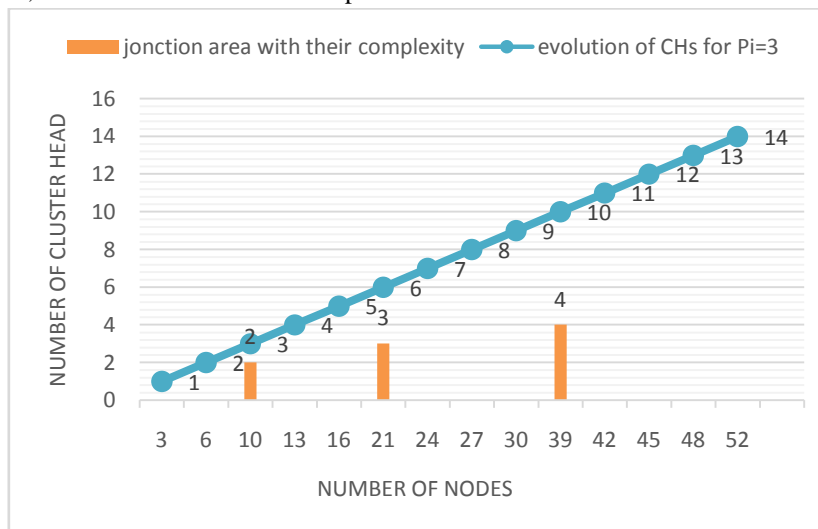


Figure 7: Evolution of CHs created compared to the number of nodes

In the figure 8, we give the evolution of the construction time of the clusters and that of the reference time taken. With 2CMJ, the first cluster has been constructed after a duration of 6.1 seconds after the sink discovery phase, this interval has been taken as reference time, the curve named reference time shows us its evolution, i.e. what would be the construction time of 2CMJ if all the clusters had exactly a construction time equal to 6.1 seconds. The results obtained show that 2CMJ has a higher evolution than the reference time on the first four clusters formed. From the fifth cluster formed, the evolution remains lower than the reference time. This evolution undergoes a slight increase in the junction zones. This slight increase is caused by the discovery phase of the gate nodes (GN) carried out by the CH in the junction cluster.



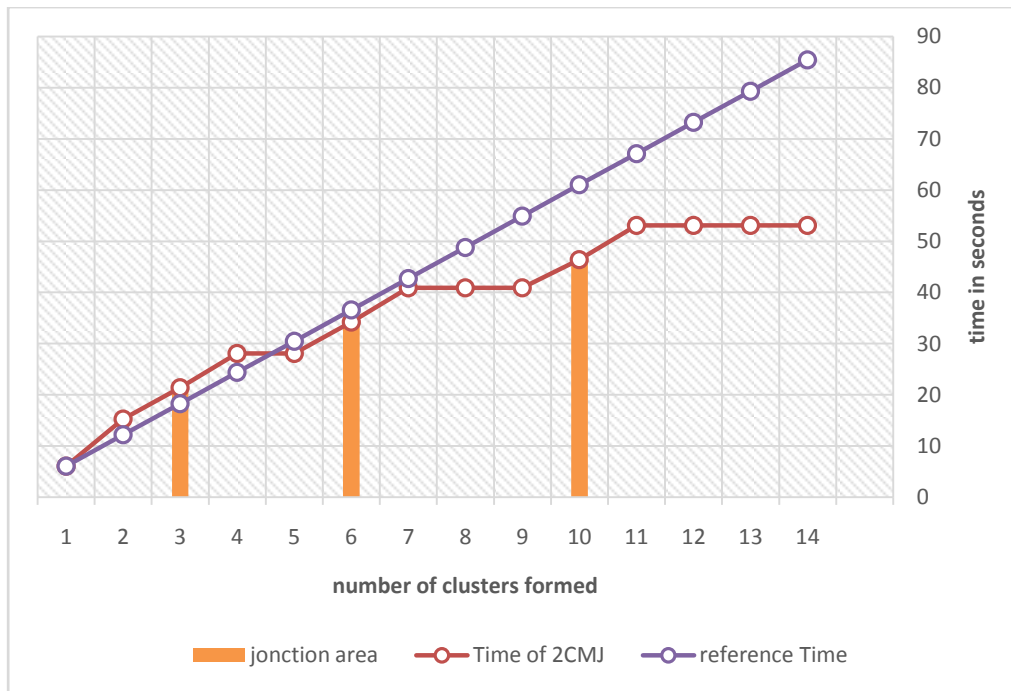


Figure 8: Evolution of the construction time of 2CMJ

Figure 9 shows the position of the clusters represented on a curve called cluster position. With this curve we can see that all clusters with the same position were formed at the same time, even if they are not on the same linear axis. These are the clusters located on positions 4, 6 and 8. We can also notice, graphically, that these clusters are located just after junction areas, their number is defined by the degree of complexity of the junction cluster from which they emanate.

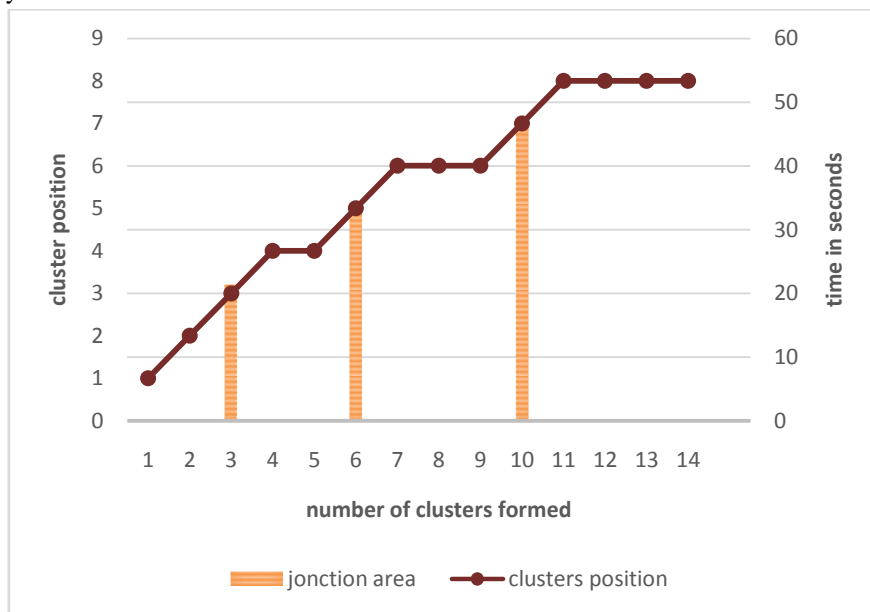


Figure 9: Evolution of the construction time of clusters in relation to their position

5 Conclusion and Perspectives

In this article, we have proposed a self-clustering mechanism for linear wireless sensor arrays with junction zones (2CMJ). The self-constructed cluster algorithms, studied so far, to our knowledge, suffered from an incompatibility with linear topologies. The M2CRL algorithm was able to solve this problem by providing a mechanism exclusively adapted to linear topologies. On the other hand, the major drawback of the latter is the

fact that it does not take into account linear topologies with junction zones, which is moreover very common in linear infrastructures.

The 2CMJ mechanism was proposed in order to resolve the problem at the level of the junction zones. The solution shows excellent results with a success in building clusters to the order of 100% with zero orphan nodes. The algorithm also eliminates the existence of singleton clusters. 2CMJ thus becomes, to our knowledge, the first self-clustering mechanism for linear topology networks with junction zones.

2CMJ can, of course, be improved. It is with this in mind that we plan, in perspective, to make some improvements to the mechanism, such as managing the addition or removal of a node in an existing network. The algorithm can also be improved by bringing a dynamic aspect to the cluster (evolution of a cluster with a change of ID, change of a node type, addition of a branch of nodes). As a result, the clusters will no longer remain fixed but they will vary periodically.

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